

Visual search for upright bigrams predicts reading fluency in children

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ABSTRACT

Fluent reading is an important milestone in education, but we lack a clear understanding of why children vary so widely in attaining this milestone. Language-related factors such as rapid automatized naming (RAN) and phonological awareness have been identified as important factors that influence reading fluency. Of theoretical interest is also, however, whether aspects of visual processing influence reading fluency. To investigate this issue, we tested primary school children ($n = 68$) on four tasks: two reading fluency tasks (word reading and passage reading), a RAN task to measure naming speed, and a visual search task using letters and bigrams to measure visual processing. As expected, the RAN score was strongly correlated with reading fluency. In addition, visual processing of bigrams was correlated with reading fluency. Importantly, this association was specific to upright but not inverted bigrams, and to bigrams with normal but not large letter spacing. Thus, reading fluency in children is accompanied by specialized changes in upright bigram processing. We propose that bigram processing during visual search could complement existing measures of language processing to understand individual differences in reading fluency.

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INTRODUCTION

19 Learning to read fluently is an important milestone during development, but
20 there is considerable individual variation in attainment. For alphabetic languages, this
21 variation has been explained using two simpler cognitive tasks: phoneme awareness
22 (PA, which measures the ability to manipulate phonemes in a word), and rapid
23 automatized naming (RAN, which measures the speed of naming visually presented
24 letters or objects) (Melby-Lervåg et al., 2012; Norton and Wolf, 2012). These abilities
25 not only explain concurrent individual variation in reading fluency (Melby-Lervåg et al.,
26 2012; Norton and Wolf, 2012), but also its longitudinal development (Parrila et al.,
27 2004; Lervåg and Hulme, 2009; Landerl et al., 2018; Vander Stappen and Reybroeck,
28 2018).

29 The RAN measure has been hypothesized to capture efficiency in cross-modal
30 print processing (Nag and Snowling, 2012). Other explanations for the robust RAN-
31 reading association range from domain-general speed of processing (Kail et al., 1999),
32 especially serial processing (Sideridis et al., 2016), to domain-specific speed to
33 retrieve phonological codes, discriminate component visual features (Stainthorp et al.,
34 2010) and recognize whole visual items (Lervåg and Hulme, 2009). Thus, RAN
35 captures component processes that are both perceptual-lexical as well as attentional
36 and memory-based (Sideridis et al., 2016).

37 Given that reading begins with vision, it stands to reason that fluent reading is
38 associated with changes in visual processing as well as in phonological or naming
39 abilities. However, most previous work has focused on attentional deficits, particularly
40 with respect to reading difficulties. Dyslexia is associated with a range of processing
41 deficits in visuospatial attention (Goswami, 2015), crowding (Bouma and Legein, 1977;
42 Martelli et al., 2009; Zorzi et al., 2012), attention span (Bosse et al., 2007), change

43 detection (Rima et al., 2020) and visual search (Casco and Prunetti, 1996; Vidyasagar
44 and Pammer, 1999). Whether these deficits explain normal variation in reading skills
45 is, however, not clear. At a more basic level, it is not clear whether visual
46 representations of letters or strings themselves change with reading experience, and
47 whether these changes predict reading fluency.

48 It is widely believed that learning to read leads to the formation of specialized
49 detectors for letter combinations (Grainger and Whitney, 2004; Dehaene et al., 2005).
50 Evidence in favour of this account comes from the greater activation of the word form
51 regions to strings containing frequent bigrams. However, recent evidence has
52 challenged this possibility by showing that discrimination between longer strings can
53 be explained using single letters (Agrawal et al., 2019, 2020), and that fluent readers
54 experience weaker interactions between letters in a bigram (Agrawal et al., 2019).
55 However this association between bigram processing and reading fluency may be
56 explained by other factors not tested in previous studies.

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58 **Overview of this study**

59 Here, we investigated the relation between reading fluency and visual
60 processing by testing two specific hypotheses. First, we asked whether learning to
61 read results in the formation of specialized bigram detectors. Since reading involves
62 extensive experience with upright letters, we hypothesized that learning to read would
63 result in the formation of specialized detectors for upright bigrams but not inverted
64 bigrams. This comparison avoids any confounds due to letter shape. To detect the
65 presence of bigram detectors, we formulated a quantitative “letter sum” model to
66 predict visual search on bigrams using the constituent single letters. Since bigram
67 detectors, by definition, are activated by the entire bigram but not by the constituent

68 letters, their presence should lead to poor performance of the letter sum model. We
69 therefore predicted that the presence of upright bigram detectors should lead to poor
70 performance of the letter-sum model for upright but not inverted bigrams. Comparing
71 upright and inverted bigrams also avoids any indirect confounds due to covarying
72 cognitive factors. For instance, a correlation between visual search performance and
73 reading fluency could simply be due to the requirement for visuospatial attention in
74 both tasks (Franceschini et al., 2012).

75 Second, we hypothesized that reading fluency variations across children would
76 be predicted by upright bigram processing during visual search, over and above the
77 variation predicted by RAN tasks. This is a non-trivial outcome because it implies that
78 changes in visual processing are independent of the perceptual-lexical processes
79 captured by RAN, and that both influence reading fluency. Alternatively, it could be
80 that bigram processing does not predict reading fluency variations any more than RAN
81 measures, suggesting that changes in visual processing do not directly influence
82 reading fluency.

83 To assess these possibilities, we tested children in grades 3-5 (7-11 years old)
84 across two time points (separated by ~10 months). Each child was tested on two
85 standardized measures of reading fluency (word and paragraph reading). To reduce
86 testing time with children, we selected a RAN task over a phoneme awareness (PA)
87 task because the former is a better predictor of reading in some alphabetic
88 orthographies (Landerl et al., 2018; Vander Stappen and Reybroeck, 2018), and PA
89 is prone to floor effects in India (the location of the present study) where literacy
90 instruction privileges either the look-and-see method or the syllable units in a word
91 (Nag, 2017). To measure visual processing, each child was tested on a visual search
92 task involving both single letters as well as upright and inverted bigrams. We chose

93 visual search because it is a natural, intuitive task for children (they have to simply
94 search for an odd-one-out), yet it has an objective measure (correctly identifying the
95 target). At the same time, measures of search time in visual search can yield many
96 insights into the underlying representations of visual features, including printed letters
97 (Arun, 2012; Mohan and Arun, 2012; Pramod and Arun, 2016; Agrawal et al., 2019).

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RESULTS

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Our goal was to investigate whether reading fluency can be linked to visual processing of bigrams. We selected children in grades 3-5 (aged 7-11 years) from a school where English is the medium of instruction, and tested them on English letters and words. Participants performed three tasks related to their reading skills: a word reading task (Figure 1A), a passage reading task (Figure 1B), and a rapid automatized naming (RAN) task (see Methods). As expected, the passage and word reading fluency scores were highly correlated with each other (Figure 1C). These children were further tested on a visual search task to characterize their visual processing (Figure 1D). In the visual search task, children were asked to identify an oddball target among multiple identical items.

Experiment 1: Single letter and bigram searches

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In Experiment 1, we tested 68 children from grades 3-5 (7-11 years old) on reading tasks as described above and a visual search task. In the visual search task, both the oddball and the distractors were either single letters, or upright bigrams or inverted bigrams, and were analysed separately.

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Visual search for single letters

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We first analysed the performance of the participants on single letter searches. An example search involving single letters is shown in Figure 1D. Participants were highly accurate in their performance (average accuracy across 78 single letter searches, mean \pm std: 98% \pm 2.4% across 68 children). They also made highly consistent responses, as evidenced by a strong and significant correlation between the average search times of odd and even-numbered participants (Figure 1E). We did

123 not observe any significant correlation between mean single letter search time and
124 passage reading score ($r = -0.2$, $p = 0.1$).

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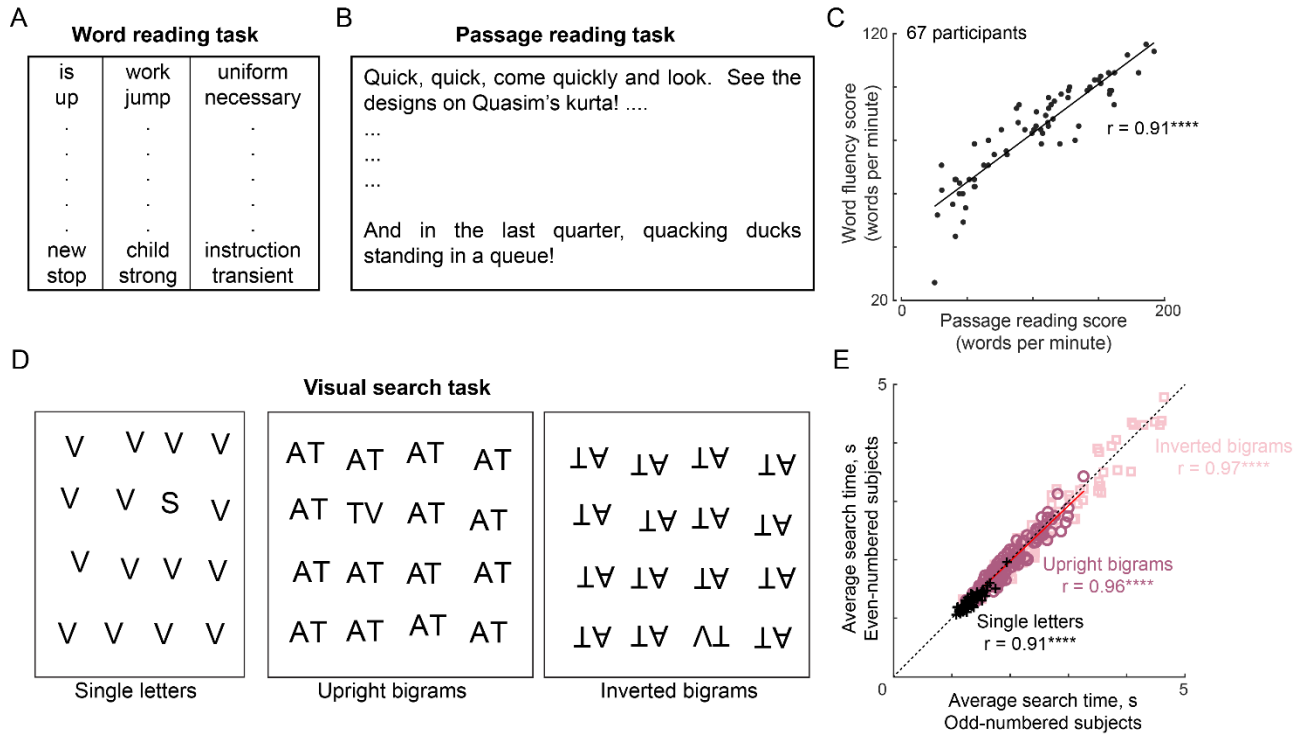
126 **Visual search for upright vs inverted bigrams**

127 Next we sought to evaluate whether bigram processing is different for upright
128 compared to inverted bigrams. Specifically, we reasoned that, if learning to read
129 upright letters leads to the formation of upright bigram detectors, any model based on
130 single letters would perform poorly on predicting upright but not inverted bigrams.

131 Participants performed oddball visual search in which both target and
132 distractors were either upright or inverted bigrams (Figure 1D). As before, irrespective
133 of fluency level, they were highly accurate in all conditions (average accuracy across
134 115 bigram searches, mean \pm sem: $95.8\% \pm 0.5\%$ for upright bigrams, $95\% \pm 0.7\%$
135 for inverted bigrams) and also highly consistent in their responses (Figure 1E).
136 Interestingly, participants took longer to perform inverted searches (average response
137 times, mean \pm sem across participants: 1.96 ± 0.03 s for upright, 2.43 ± 0.05 s for
138 inverted; $p < 0.00005$, paired t-test across 115 searches). Thus, familiarity with the
139 upright orientation improved discrimination. However, familiarity did not qualitatively
140 alter visual search performance, as evidenced by a strong and significant correlation
141 between search dissimilarities in the upright and inverted conditions ($r = 0.92$ across
142 115 bigram searches, $p < 0.00005$).

143 As with single letter analysis, we correlated the mean search time with passage
144 reading score. Interestingly, the association between reading fluency and visual
145 search times was specific to upright but not inverted bigrams (correlation between
146 passage reading score and mean bigram search time: $r = -0.32$, $p < 0.05$ for upright
147 bigrams, and $r = -0.15$, $p = 0.24$ for inverted bigrams).

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Figure 1. Reading fluency and visual processing tasks (Experiment 1)

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(A) Example words from the standardized sight word efficiency task (TOWRE).

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(B) The passage shown to the children to measure their reading fluency (see Methods).

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(C) Correlation between the fluency scores obtained from word reading task (A), and passage reading task (B). Each point represent one subject ($n = 67$) and asterisks indicate that the correlation is significant (**** is $p < 0.00005$).

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(D) Example single letter and bigram search array from the visual search task.

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(E) Split-half consistency of the visual search data for letters (+), upright bigrams (o), and inverted bigrams (□), as estimated by the correlation between search time averaged across the odd-numbered subjects and even-numbered subjects.

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163 **Can bigram search be explained using single letter relations?**

164 The above findings show that reading fluency is associated with upright bigram
165 searches, but does not elucidate whether this is due to improved single letter
166 representations or due to specialized bigram detectors. To investigate this issue, we
167 devised a quantitative model to explain visual search for bigrams using the constituent
168 single letters. In a series of previous studies, we have shown that the reciprocal of
169 search time (1/RT) – which is a measure of dissimilarity – yields more accurate models
170 for visual search, and that the dissimilarity between objects differing in multiple
171 features can be explained using the constituent features.

172 In keeping with these findings, we devised a “letter-sum” model (Figure 2A) in
173 which the search dissimilarity (1/RT) between a pair of bigrams, say AB & CD, is a
174 linear sum of dissimilarities between the constituent pairs of single letters A, B, C, D
175 i.e. (A,B), (A,C), (A,D), (B,C), (B,D), and (C,D). To account for possible differences in
176 position, we grouped these pairs based upon the type of comparison: there were letter
177 pairs at corresponding locations in the two bigrams (e.g. AC & BD), at opposite or
178 across locations (e.g. AD & BC), and within a bigram (e.g. AB & CD). Thus, the search
179 dissimilarity for bigrams AB & CD is given by:

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$$d(AB,CD) = C_{AC} + C_{BD} + X_{AD} + X_{BC} + W_{AB} + W_{CD} + c$$

181 where C_{AC} & C_{BD} are relations between letters in the two bigrams at
182 corresponding locations, X_{AD} & X_{BC} are relations between letters in the two bigrams at
183 opposite locations, W_{AB} & W_{CD} are letter relations within each bigram and c is a
184 constant term. The part sum model works because the same terms repeat across
185 searches: for instance, the term C_{AC} is also present in the equation for $d(AE,CF)$,
186 $d(AG,CH)$ etc. Since bigrams were constructed using six possible letters, the
187 corresponding-location letter terms are ${}^6C_2 = 15$ in number, and likewise there are 15

188 across-location letter terms and 15 within-bigram letter terms. These unknown part
189 relations can then be estimated from the data using standard linear regression (see
190 Methods).

191 The part-sum model yielded excellent fits to the observed bigram dissimilarities
192 (model correlation: $r = 0.92$ for upright bigrams, $r = 0.94$ for inverted bigrams; Figure
193 2B). Model correlations were close to the split-half consistency between participants,
194 suggesting that the model explains nearly all the explainable variance in the bigram
195 dissimilarities. Importantly, model fits were not systematically different between upright
196 and inverted searches as would be expected if there were upright bigram detectors
197 (Figure 2B). This in turn suggests that the better discrimination of upright bigrams by
198 participants must be driven by letter-level differences in the part-sum model
199 parameters.

200 We obtained several interesting insights upon a deeper investigation of the part-
201 sum model parameters. First, the single letter relations estimated by the part-sum
202 model for the corresponding, across and within terms were correlated with the
203 observed single letter dissimilarities in this experiment ($r = 0.76$, $p < 0.005$; $r = 0.84$, p
204 < 0.0005 & -0.61 , $p < 0.05$ for C, X & W terms, for the part-sum model fit to the average
205 dissimilarities for upright bigrams across all participants). Second, the within-bigram
206 terms are consistently negative (Figure 2C), suggesting that search is harder when
207 bigrams contain dissimilar letters. We have observed this effect consistently in
208 previous studies – it resembles the well-known finding that search is harder when
209 distractors are heterogeneous (Duncan and Humphreys, 1989; Vighneshvel and Arun,
210 2013; Pramod and Arun, 2016). Third, the interaction between the letters (both across
211 and within) were weaker for upright compared to inverted bigrams. This weaker

212 interaction leads to improved search for upright letters by increasing their
213 discriminability.

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215 **Relation between bigram searches and reading fluency**

216 The above findings that fluent readers are faster at discriminating upright
217 bigrams might also be predicted by other covarying factors such as their RAN score,
218 motor speed, overall executive function etc. To investigate these possibilities, we
219 sought to predict the individual variation in reading fluency using a variety of possible
220 factors. To avoid overfitting, we generated a predicted fluency score by training each
221 factor on the word reading scores, and then compared this prediction with the passage
222 reading score.

223 To characterize the effect of overall task performance for each subject, we
224 included the motor speed (measured during a baseline motor block; see Methods) and
225 overall accuracy (across all searches). To characterize any effects due to
226 discrimination of single letters, we calculated the average dissimilarity across all single
227 letter searches. To characterize the influence of upright bigrams, we fit a part-sum
228 model to the upright bigram dissimilarities for each subject, and calculated the average
229 of the corresponding, across and within terms separately, and included the constant
230 term. We did likewise for the inverted bigram searches. Finally, we used the RAN
231 score of each subject as a possible factor. For each factor we asked how well the
232 predicted reading score using that factor matched the observed passage reading
233 score.

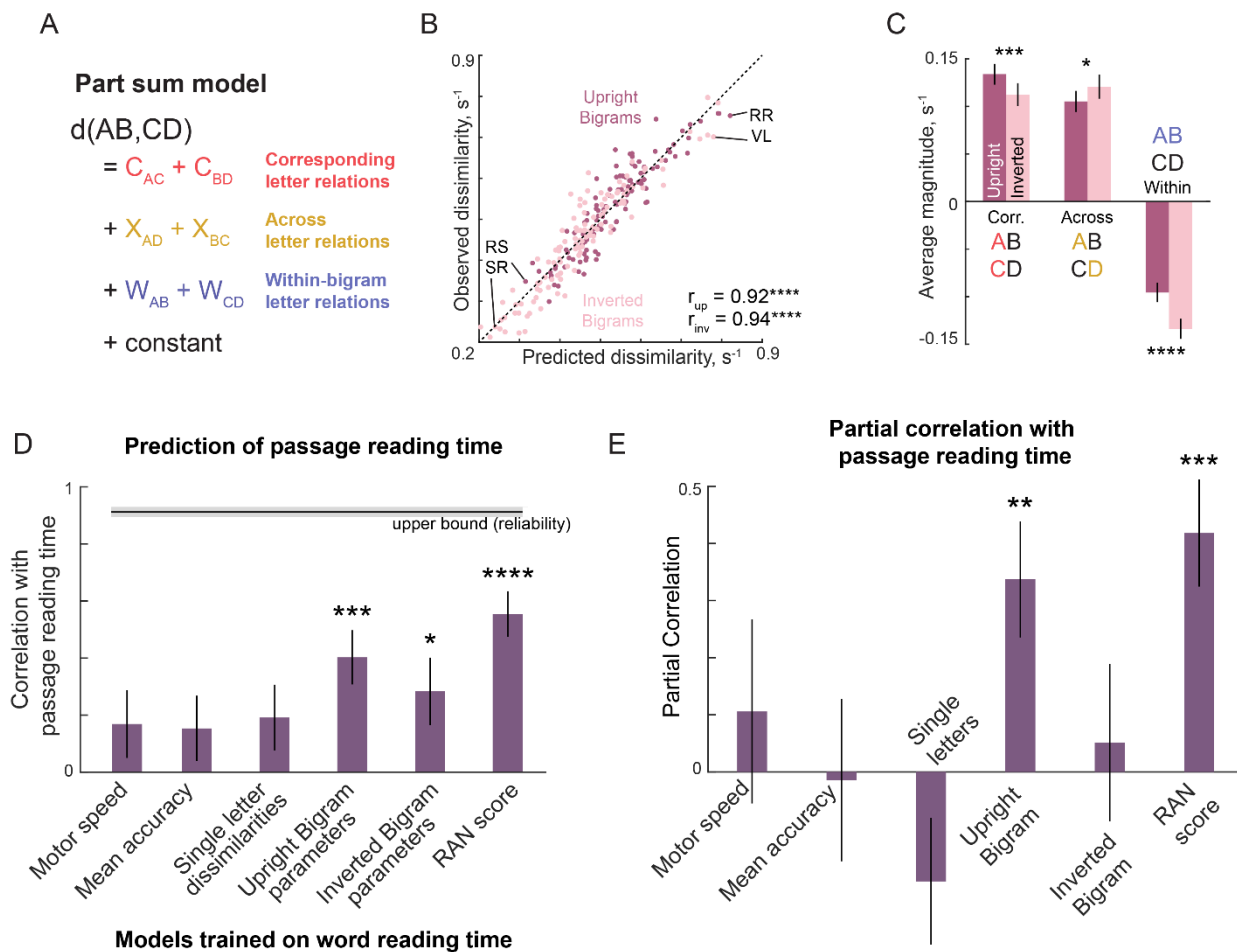
234 The results of these analyses are summarized in Figure 2D. To establish an
235 upper bound on model performance, we compared the word reading fluency and
236 passage reading fluency scores, which were highly correlated ($r = 0.91$, $p < 0.0005$;

237 Figure 1C). Among all the individual factors, the RAN score had the highest correlation
238 with passage reading fluency ($r = 0.55$, $p < 0.00005$; Figure 2D), followed by the upright
239 bigram terms ($r = 0.40$, $p < 0.0005$; Figure 2D). This correlation was best for the part-
240 sum model terms, compared to other measures derived from the bigram searches
241 (correlation of passage reading scores with average upright bigram dissimilarity of
242 each subject: $r = 0.32$, $p < 0.05$; with the average difference between upright and
243 inverted bigram dissimilarity: $r = 0.36$, $p < 0.005$). Thus, the part-sum model
244 parameters seem to capture the essential aspects of bigram processing.

245 The above analysis shows that a number of factors are correlated with passage
246 reading fluency, but there could be correlations between these factors. To assess the
247 unique contribution of each factor, we performed a partial correlation analysis.
248 Specifically, we asked whether the correlation between a given factor with the passage
249 reading fluency score would continue to be significant after regressing out all other
250 factors. This revealed only two factors with a significant partial correlation: upright
251 bigram terms and RAN score (Figure 2E). Hence, we conclude that RAN and upright
252 bigram terms uniquely predict reading fluency compared to all other factors.

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Figure 2. Upright bigram processing predicts reading fluency (Experiment 1)

(A) Schematic of the letter-sum model, in which the net dissimilarity between two bigrams is a linear sum of single letter relations at corresponding locations across bigrams (C), opposite locations across bigrams (X) and within-bigrams (W).

(B) Observed bigram dissimilarity is plotted against predicted bigram dissimilarity from the part-sum model for both upright (*dark*) and inverted (*light*) bigram searches. Each point represents one search pair ($n = 115$ each) and few example searches are highlighted. Asterisks indicate that the model predictions were significantly correlated with the observed dissimilarity values ($p < 0.00005$).

(C) Average model coefficients (mean \pm sem) of each type for upright and inverted bigrams. Asterisks denote statistical significance obtained on a sign-rank test comparing 15 letter dissimilarities between upright and inverted conditions (* is $p < 0.05$, ** is $p < 0.005$, etc).

(D) Model correlation of each factor in predicting passage reading score. Error bars indicate ± 1 s.d. using a bootstrap procedure (in which we repeatedly sampled 67 participants with replacement for a total of 1,000 times). All models were trained on word reading score, and tested on passage reading scores. Shaded error bars represent the noise ceiling i.e. correlation between word reading and passage reading score.

(E) Partial correlation of each factor with passage reading scores after regressing out all other factors. Asterisks denote significant correlation (* is $p < 0.05$, ** is $p < 0.005$, and so on). Error bars represent ± 1 s.d. of the correlation coefficient, calculated as in (D).

279 **EXPERIMENT 2: BIGRAM SEARCHES WITH VARYING SPACING**

280 The above findings show that reading fluency is associated with upright but not
281 inverted bigram processing, suggesting that familiarity with upright letter orientations
282 leads to specific changes in visual processing. We therefore wondered whether this
283 effect would also be specific to frequently encountered letter spacings. This is an
284 important question by itself because changes in letter spacing affect reading speed
285 (Zorzi et al., 2012; van den Boer and Hakvoort, 2015; Hakvoort et al., 2017). In
286 addition, by testing the same participants after ~10 months, we also asked whether
287 improvements in reading fluency can be predicted from changes in bigram processing.

288 To this end, we recruited 65 children for Experiment 2, of whom 59 children had
289 participated in Experiment 1 ~10 months earlier. Participants were again given the two
290 reading tasks (word & passage reading), a RAN task, and a visual search task
291 involving upright and inverted bigrams with normal or large spacing. All bigram
292 searches were interleaved. An example bigram search array using normal letter
293 spacing is shown in Figure 3A, and the same search with large spacing is shown in
294 Figure 3B. It can be seen that the search with the large letter spacing is harder but this
295 effect is weaker if the arrays are inverted. This was indeed true in general as well (see
296 below).

297 Overall, participants were highly accurate across all search types (accuracy,
298 mean \pm sem: 96% \pm 0.5% for upright-normal spacing, 95% \pm 0.5% for upright-large
299 spacing; 95% \pm 0.6% for inverted-normal spacing, 94% \pm 0.7% for inverted-large
300 spacing). They were also highly consistent in their responses (split-half correlation
301 between RT of odd- and even-numbered participants, for normal and large letter
302 spacing: $r = 0.96$ & 0.95 for upright bigrams, $r = 0.96$ & 0.97 for inverted bigrams; all
303 $p < 0.00005$).

304 Participants responded significantly slower for upright bigrams with large
305 spacing (average response times, mean \pm sem across participants: 1.8 ± 0.03 s for
306 normal spacing, 1.99 ± 0.04 s for large spacing; $F(1, 8095) = 101.0$, $p < 0.00005$ for
307 main effect of spacing, ANOVA on RT with subject, spacing & image pair as factors;
308 $F(35, 8095) = 56.69$, $p < 0.00005$ for image-pair, $F(35, 8095) = 4.05$, $p < 0.00005$ for
309 interaction effect; Figure 3C). This effect was present even for inverted bigrams
310 (average response times, mean \pm sem across participants: 2.06 ± 0.05 s for normal
311 spacing, 2.17 ± 0.05 s for large spacing, $F(1, 8095) = 26.4$, $p < 0.00005$ for main effect
312 of spacing, ANOVA on RT with subject, spacing & image pair as factors; $F(35, 8095)$
313 $= 64.12$, $p < 0.00005$ for image-pair, $F(35, 8095) = 2.05$, $p < 0.00005$ for interaction
314 effect).

315 The normal spacing advantage was larger for upright compared to inverted
316 bigrams (average difference in RT between normal and large spacing searches, mean
317 \pm sem across participants: 0.19 ± 0.02 s for upright bigrams, 0.11 ± 0.02 s for inverted
318 bigrams, $p < 0.05$ on a paired t-test across subject-wise differences). However, search
319 dissimilarities were highly correlated with each other for both normal and large spacing
320 searches ($r = 0.94$ for upright bigrams, $r = 0.95$ for inverted bigrams; $p < 0.00005$), as
321 well as between upright and inverted conditions ($r = 0.95$ for normal spacing, $r = 0.96$
322 for large spacing; $p < 0.00005$). Thus, bigram dissimilarities are qualitatively similar
323 across letter spacing and bigram orientation.

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325 **Can reading fluency be predicted by bigram processing at the familiar spacing?**

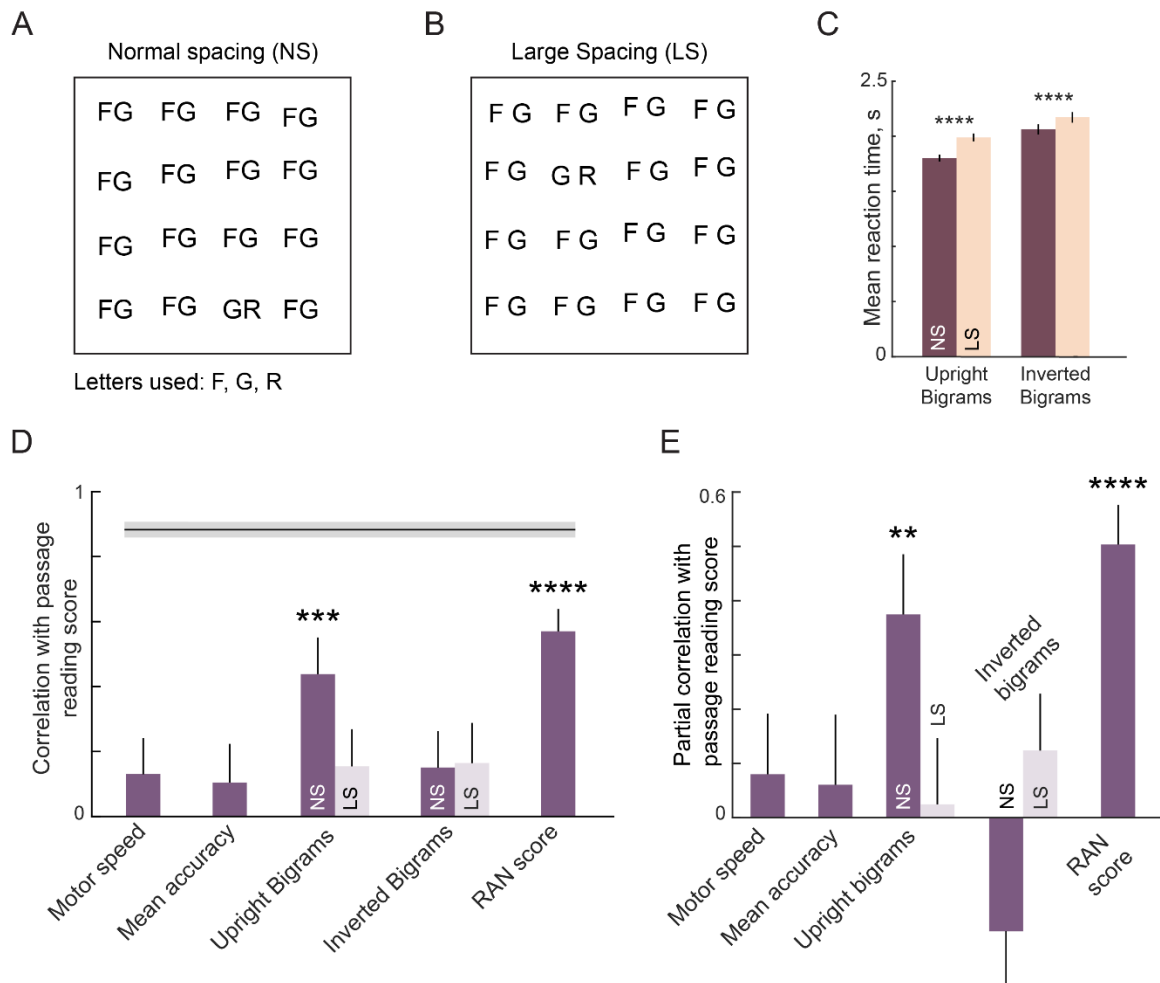
326 Next, we fit the part-sum model to the observed search dissimilarities for each
327 subject for each of the four search types (upright/inverted x normal/large spacing). We
328 then performed a similar analysis as before to determine whether the passage reading

329 score can be predicted by various factors. The correlation of each factor with passage
330 reading score is shown in Figure 3D. Interestingly, only the part-sum model terms for
331 upright bigrams with normal spacing predicted reading fluency, compared to model
332 terms for large spacing and inverted bigram terms (Figure 3D). As before, this
333 correlation was specific to the part-sum model terms, compared to other measures
334 from the bigram searches: passage reading fluency was only weakly correlated with
335 the average upright bigram dissimilarity of each subject ($r = 0.17$ & 0.11 for small and
336 large spacing, $p = 0.19$ & 0.37 respectively) and with the average difference between
337 upright and inverted bigram dissimilarity ($r = 0.02$ & 0.03 for small and large spacing,
338 $p = 0.89$ & 0.84 respectively). Thus the part-sum model captured some essential
339 underlying aspect of bigram processing relevant to reading fluency.

340 To assess the unique contribution of each factor towards explaining reading
341 fluency, we performed a partial correlation analysis as before. Only two factors showed
342 a significant partial correlation with the passage reading score after regressing out all
343 other factors: upright bigram terms for normal spacing and the RAN score (Figure 3E).
344 Hence, we conclude that the effect of visual processing on reading fluency is highly
345 specific both to the familiar (upright) orientation and familiar (normal) spacing.

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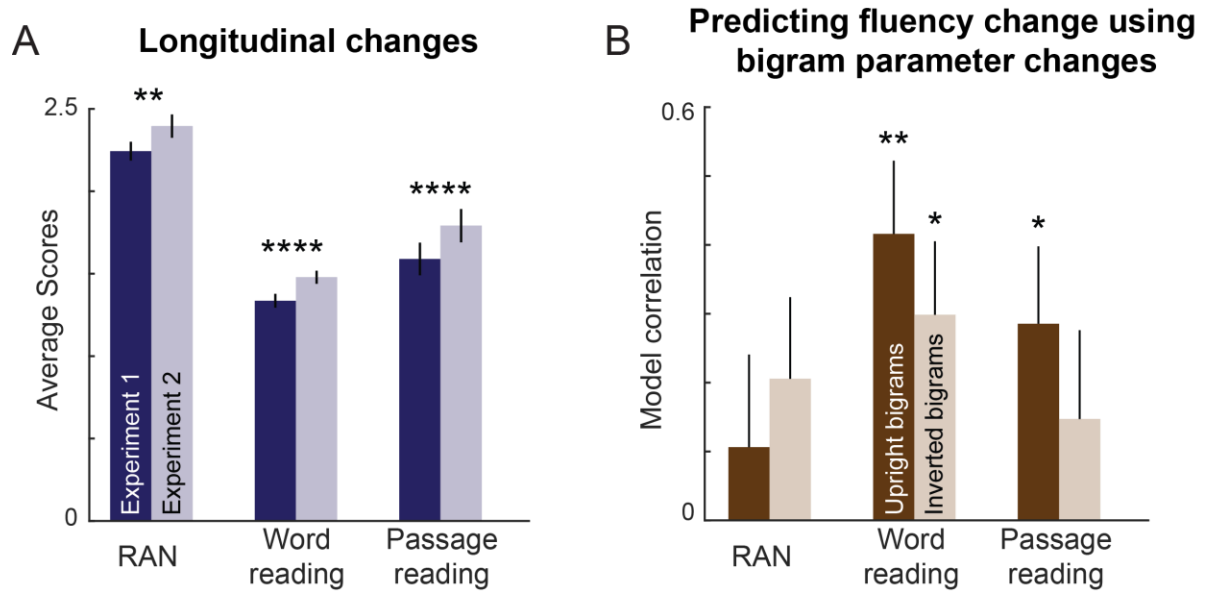
Figure 3. Effect of letter spacing on visual representation (Experiment 2)

- (A) Example upright bigram search array with small letter spacing.
- (B) Same as (A) but with large letter spacing. It can be seen that this search is slightly harder than the search in (A).
- (C) Average search times in the oddball search task for upright and inverted bigrams with normal and large spacing. Error bars indicate s.e.m. across participants. Asterisks denote statistical significance of the difference in means (**** is $p < 0.00005$, ANOVA – see text).
- (D) Model correlation of each factor predicting passage reading score. Error bars indicate ± 1 s.d. using a bootstrap procedure, whereby we repeatedly sampled 67 participants with replacement for a total of 1,000 times. Shaded error bars on the top represents noise ceiling i.e. correlation between word reading and passage reading score.
- (E) Partial correlation of each factor with passage reading scores after regressing out all other factors. Asterisks denote significant correlation (* is $p < 0.05$, ** is $p < 0.005$, and so on). Error bars represent ± 1 s.d. of the correlation coefficient, calculated as in (A).

368 **Can bigram processing changes predict longitudinal changes in fluency?**

369 Since the same participants were tested ~10 months apart in Experiments 1 &
370 2, we wondered whether improvements in reading fluency can be predicted using
371 changes in upright bigram processing. We first compared the reading and RAN scores
372 across Experiments. As expected, all scores improved with time (Figure 4A). To
373 assess whether the change in reading scores can be predicted using the change in
374 bigram processing, we took the difference in the average model term magnitudes of
375 each type (corresponding, across, within, and constant terms) and asked whether the
376 change in fluency can be predicted using a linear sum of the change in the model
377 parameters for upright or inverted bigrams. We found that upright bigram terms were
378 able to predict the improvement in both word reading and passage reading ($r = 0.42$,
379 $p < 0.005$ for word reading, $r = 0.29$, $p < 0.05$ for passage reading; Figure 4B). By
380 contrast, changes in inverted bigram processing predicted word reading only weakly
381 ($r = 0.30$, $p < 0.05$; Figure 4B) but did not predict passage reading ($r = 0.15$, $p = 0.27$).
382 Thus, only upright bigram processing changes robustly predicted fluency
383 improvements.

384 We conclude that longitudinal changes in reading fluency can be predicted
385 using changes in upright bigram processing.



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Figure 4. Longitudinal prediction of reading fluency using upright bigrams.

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(A) Change in fluency scores across different fluency measures with reading expertise.

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Asterisk represents statistical significance calculated using sign-rank test. Error bars represent s.e.m across participants.

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(B) Correlation between change in fluency scores with change in visual representation

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for upright (*dark*) and inverted (*light*) bigrams. Error bars represent indicate ± 1 s.d. obtained by a bootstrap procedure, whereby we repeatedly sampled 59

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participants with replacement for a total of 1,000 times. Asterisks denote statistical significance of each correlation (* is $p < 0.05$, ** is $p < 0.005$, and so on).

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DISCUSSION

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Here we investigated whether reading fluency in children is associated with their performance on visual search tasks. Our main finding is that visual search for bigrams predicts reading fluency; this is only for upright (but not inverted) bigrams and with normal (but not large) spacing. This association predicted both cross-sectional inter-individual variations in reading fluency as well as longitudinal changes within individuals. Below we discuss these findings in relation to the existing literature.

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We have found that reading fluency has a highly specific association with upright, normally spaced bigrams during visual search. This finding is consistent with crowding as well as serial position effects being different for letters compared to unfamiliar symbols (Grainger et al., 2010; Chanceaux and Grainger, 2012). It is also consistent with the processing deficits for letters but not symbols in dyslexic readers (Shovman and Ahissar, 2006). But the specificity of the association to bigrams in upright orientation with normal spacing is noteworthy, because such selective effects have not been reported previously. It suggests that visual representations for letters and bigrams undergo changes and these changes are specific to the orientation and spacing of text that is commonly encountered. It also indicates a possible resolution to conflicting evidence in the literature with regard to letter spacing. Some studies have found improved reading speed and accuracy with increased letter spacing (Zorzi et al., 2012; Hakvoort et al., 2017), whereas others have found that reading speed is optimal at the default spacing (Perea et al., 2011; van den Boer and Hakvoort, 2015). We speculate that these discrepancies could reflect differences in the statistics of letter characteristics (e.g., font, spacing, size) as experienced by sampled readers in different studies.

421 Our findings show an association between upright bigram processing and fluent
422 reading, but do not reveal the direction of causality: does fluent reading lead to upright
423 bigram processing, or does bigram processing lead to fluent reading? This question
424 can be resolved if early changes in bigram processing were observed to precede
425 changes in fluent reading, but this will require an extensive longitudinal study starting
426 when literacy is emergent and while controlling for a number of other confounding
427 factors. Nonetheless our findings do suggest a possible component in an intervention,
428 whereby visual search activities involving upright bigrams or longer strings could
429 facilitate optimal letter processing prior to the conversion of letters and letter strings
430 into sounds and eventually words and their meaning.

431 Our results also reveal how visual representations change with reading. We
432 have found that bigram discrimination in visual search can be explained entirely using
433 dissimilarities between pairs of letters, for both upright and inverted bigrams. These
434 results challenge the widely held view that reading should lead to the formation of
435 specialized bigram detectors (Grainger and Whitney, 2004; Dehaene et al., 2005). If
436 bigram detectors were formed through exposure to upright letters, upright bigram
437 discrimination should have been less predictable from single letters compared to
438 inverted bigram discrimination, but we observed no such trend (Figure 2B). Rather,
439 we found that upright bigrams are more discriminable because of weaker within-
440 bigram interactions (Figure 2C). We propose that reading not only makes single letters
441 more discriminable but also makes letters more independent within a bigram, enabling
442 the parallel processing of letters in a word.

443 We have found that RAN scores and upright bigram processing explained
444 unique components of variance in reading fluency (Figure 2E, 3E). This is consistent
445 with theoretical accounts of RAN that suggest it captures domain-general speed of

446 processing (Kail et al., 1999; Sideridis et al., 2016), domain specific speed of access
447 to phonological codes and visual features (Stainthorp et al., 2010), cross-modal print
448 processing (Nag and Snowling, 2012) and recognition of whole items (Lervåg and
449 Hulme, 2009). However our results go further to show that there are bigram-level
450 changes in visual processing that also seem to enable reading fluency that are not
451 captured by the single letter or digit naming processes integral to RAN. We speculate
452 that the upright bigram processing measured in our study captures key aspects of
453 orthographic processing that can complement other measures (RAN, phoneme
454 awareness, executive function tests) to track the development of typical or atypical
455 reading skills (Norton and Wolf, 2012).

456

METHODS

457 All children and their parents/guardians gave informed consent to an
458 experimental protocol approved by the Institutional Human Ethics Committee of Indian
459 Institute of Science, University of Oxford and The Promise Foundation. All participants
460 were students of a school in Bengaluru where English is the medium of instruction. All
461 participants had normal or corrected to normal vision.

462 In both Experiments 1 & 2, participants were asked to perform two reading tasks
463 (word reading and passage reading), a RAN task and a visual search task. The sample
464 sizes were chosen based on previous studies in the literature and this age range was
465 chosen because at this age there is broad individual variation in reading fluency. The
466 reading and naming tasks were identical in both experiments and are summarized
467 below.

468

469 **Reading & RAN tasks (Experiments 1 & 2).**

470 *Word reading task.* This was the standardized sight word efficiency task (TOWRE). In
471 this 104-word list, words increased in difficulty level, from simple words like “up” and
472 “cat” to difficult words like “information” and “boisterous”. The word reading score was
473 calculated as the number of words read correctly in the first 45 seconds, converted
474 into a words/minute score.

475 *Passage reading task.* Participants were asked to read aloud a five line passage titled
476 “Qasim’s kurta” describing the patterned dress of a stranger (Nag and Arulmani, 2015).
477 The passage was edited to a word count of fifty. Participants were informed that they
478 will have to answer two questions at the end of the passage and therefore had to read
479 carefully. A discontinuation rule was applied after errors on eight words (an error rate
480 of 15%). The passage reading score was calculated as the total number of words

481 read correctly divided by the time taken up to the point attempted, in units of
482 words/minute.

483 *Rapid Automatized Naming (RAN)*. A set of 40 digits arranged in a 5 x 8 grid was
484 shown to the subject, which they had to read aloud. The RAN score was calculated as
485 40 divided by the time taken by participants to complete reading the digits.

486

487 **Experiment 1: Single letter and bigrams searches**

488 *Procedure*. Participants were seated comfortably in front of a laptop monitor placed
489 ~60 cm away under the control of custom programs written in HTML/Javascript.

490

491 *Participants*. A total of 68 children (34 male, aged 9.5 ± 0.9 years; 23 from 3rd grade,
492 27 from 4th grade, 18 from 5th grade) were recruited for the study. One subject was
493 excluded from the analyses due to the overall accuracy being less than 80%.

494

495 *Stimuli*: A total of 13 uppercase English letters (A, H, I, J, K, L, N, R, S, T, U, V, Y)
496 were chosen for the single letter search task. These letters were chosen to contain
497 similar and dissimilar letters. All letters were shown in the Arial Font with the exception
498 of the letter 'l', for which horizontal bars were added at the top and bottom to improve
499 its discriminability. The height of each letter was 1° in visual angle.

500 For the bigram task, 6 letters (A, L, R, S, T, and V) were combined in all possible
501 manner (i.e. AA, AL, AR, AS, AT, AV, LA, LL, ... etc) to form 36 bigrams. These letters
502 were chosen because they were not symmetric along the horizontal axis. Inverted
503 bigrams were created by flipping the upright bigrams.

504

505 *Behavioural tasks.* To ensure familiarity with the buttons and measure their motor
506 speed, participants first performed a baseline block prior to visual search. In this block,
507 a white circle appeared on either side of a vertical red line dividing the screen (10
508 trials) and participants responded its location using the same keys. The baseline block
509 was followed by a practice block of visual search using unrelated objects (20 trials)
510 and then followed by the main visual search block.

511 In the main visual search block, participants performed a total of 616 correct
512 trials ($^{13}C_2 = 78$ single letter searches + 115 upright bigram searches + 115 inverted
513 bigram search and 2 repeats of each). We selected 115 searches out of 630 ($^{36}C_2$)
514 possible searches to ensure a range of search difficulty. There were a total 15 pairs
515 where first letter changes, 13 pairs where second letter changes, and 87 pairs with
516 both letter changes. These 115 search pairs were fixed across all participants. All trials
517 were interleaved, and incorrect/missed trials appeared randomly later in the task but
518 were not analyzed.

519 The MATLAB function “isoutlier” was used to remove any data points that lie
520 three scaled deviations away from the median. This was done to improve the split-half
521 consistency of the data. We obtained qualitatively similar results without this step.

522

523 *Part-sum model to explain bigram dissimilarities using single letters*

524 For each of the 115 bigram searches, we calculated the average search time
525 (averaged across repeats and participants) and converted this into search dissimilarity
526 by taking the reciprocal (1/RT). This was done because previous work has shown that
527 the reciprocal of search time yields better models of visual search compared to models
528 based directly on RT (Arun, 2012; Pramod and Arun, 2014, 2016). According to the
529 part-sum model, the net dissimilarity between two bigrams AB & CD is given by a sum

530 of pairwise letter relations between letters at corresponding and opposite locations
531 across bigrams and within-bigram relations. Specifically,

$$532 \quad d(AB, CD) = C_{AC} + C_{BD} + X_{AD} + X_{BC} + W_{AB} + W_{CD} + \text{constant}$$

533 where C_{AC} & C_{BD} represent dissimilarity between letters at the corresponding
534 locations of the two bigrams, X_{AD} & X_{BC} represent the dissimilarity between letters at
535 opposite locations in the two bigrams, and W_{AB} & W_{CD} represent dissimilarity between
536 letters within the two bigrams. This is a very general model because it allows for
537 potentially different single letter dissimilarities of each type. It works because a given
538 letter pair at each location can occur repeatedly across multiple bigram pairs (e.g.
539 letter pair A-C is present at the corresponding locations of the pairs **AB-CD**, **AD-CD**,
540 **BA-BC** etc.). Since bigrams were made from 6 possible letters, there are 6C_2 (= 15)
541 letter pairs for each of the corresponding, across, and within terms. This results in a
542 46-parameter model (15 letter pairs/term x 3 terms + 1 constant). Since we have 115
543 dissimilarities values and only 46 parameters, we can uniquely estimate all the
544 parameters using linear regression. The resulting set of simultaneous equations can
545 be represented as $\mathbf{y} = \mathbf{Xb}$, where \mathbf{y} is a 115x1 vector of observed dissimilarities, \mathbf{X} is
546 a 115 x 46 matrix with entries of either 0, 1 or 2 depending on whether a particular pair
547 is absent, present or repeated at each of the corresponding, across or within terms
548 and \mathbf{b} is a 46 x 1 vector of unknown weights.

549 To compare model parameters for upright and inverted bigrams (Figure 2), we
550 fit a single model for both upright and inverted bigrams together with separate C, X, W
551 terms for each orientation but a single constant term. To predict fluency scores for
552 each subject (Figures 2 & 3), we fit the part sum model to upright and inverted
553 dissimilarities separately.

554

555 *Modelling fluency scores.*

556 For each subject, we estimated various factors from visual search experiment
557 that could potentially predict reading fluency such as baseline reaction time, mean
558 accuracy, mean single letter dissimilarities, part-sum model parameters estimated by
559 modelling dissimilarities observed from upright and inverted bigram searches, and
560 RAN score. To estimate the cross-validated fluency model fits, we trained each factor
561 on word reading score and evaluated it against the passage reading score.

562 For each scalar factor, we fitted a linear model $\mathbf{y} = \mathbf{X}\mathbf{b}$. Here, \mathbf{y} is a 67x1 vector
563 of observed word reading score, \mathbf{X} is a 67x2 matrix with entries containing one of the
564 above mentioned factor along with a constant term, \mathbf{b} is a 2x1 vector of unknown
565 weights that are estimated after solving the linear regression (*regress* function in
566 MATLAB). Next, we calculated the predicted reading score using the estimated
567 weights i.e. $\hat{\mathbf{y}} = \mathbf{X}\mathbf{b}$ and correlated it with the passage reading score. The correlation
568 coefficient quantifies the contribution of each factor in predicting reading fluency.

569 Since upright and inverted bigram factors contain multiple part-sum model
570 parameters, we first averaged the estimated corresponding, across and within term
571 interactions across all 15 letter pairs. This resulted in 4 parameters for each subject
572 (including the constant term of the part-sum model). Next, we performed the same
573 model fits as mentioned above to predict the fluency score as a linear combination of
574 average model terms i.e. $\mathbf{y} = \mathbf{X}\mathbf{b}$. Here, \mathbf{y} is a 67x1 vector of observed word reading
575 score, \mathbf{X} is a 67x5 matrix with entries containing the average model terms together
576 with a constant term, and \mathbf{b} is a 5x1 vector of unknown weights.

577

578

579

580 *Partial correlation analyses.*

581 To estimate the unique contribution of each factor, we performed a partial
582 correlation analysis. First, we took the predicted fluency score for each factor (as
583 described above) and regressed out the net contribution of all the other factors.
584 Specifically, we fit a linear model $\mathbf{y} = \mathbf{Xb}$, where \mathbf{y} is a 67x1 vector of fluency score
585 predictions using that factor, and \mathbf{X} is a 67-row matrix containing all the other factors,
586 and \mathbf{b} is a vector of unknown weights. We then calculated the residuals of this model
587 i.e. $(\mathbf{y} - \mathbf{Xb})$ which represent the predictions of that factor that are not explained by the
588 other factors. Proceeding likewise, we regressed out the net contribution of all the
589 factors from the passage fluency score. The partial correlation is the correlation
590 between these two sets of residuals, and represents the correlation between reading
591 fluency and a particular factor that remains even after removing the influence of all
592 other confounding factors.

593

594 **Experiment 2: Effect of letter spacing**

595 All details of Experiment 2 were identical to those in Experiment 1 except those
596 outlined below.

597 *Participants.* A total of 65 children (31 male, aged 10.2 ± 0.9 years, 23 from 4th grade,
598 26 from 5th grade and 16 from 6th grade) were recruited 10 months later for this follow-
599 up experiment. Of these 59 children had previously participated in Experiment 1.

600 *Stimuli:* A total of 3 letters (F, G, and R) were combined in all possible ways (i.e. FF,
601 FG, FR, GF, ... etc) to form a total of 9 bigrams. These letters were chosen because
602 they were not symmetric along the horizontal axis. Letters were 1° in height, and were
603 separated by either 0.18° (normal spacing) or 1.05° (large spacing). The normal
604 spacing here approximates the spacing between letters in Arial font but with a fixed
605 width between letters.

606 *Task:* Participants performed a total of 288 searches (${}^9C_2 = 36$ bigrams x normal and
607 large letter spacing x 2 configurations x 2 repeats).

608 *Part-sum model.* Since there are only ${}^3C_2 = 3$ letter relations each for the
609 corresponding, across and within term, the part-sum model had only 10 free
610 parameters, which were estimated from a total of 36 bigram dissimilarities.

611

612 **Longitudinal analysis**

613 To this end, we analysed the data from 59 participants common to both
614 Experiments 1 & 2. To predict the change in fluency score using the change in the
615 average part-sum model parameters (averaged across ${}^3C_2 = 3$ terms for
616 corresponding, across, within terms, together with the constant term), we performed a
617 linear regression to predict the change in fluency as a weighted sum of the part-sum
618 model parameters. Specifically, we fitted a linear model $\mathbf{y} = \mathbf{X}\mathbf{b}$, where \mathbf{y} is a 59x1
619 vector depicting difference in fluency score (i.e. Experiment 2 – Experiment 1 scores),
620 \mathbf{X} is a 59 x 5 matrix with rows containing the difference between each type of model
621 term together with a global constant term, and \mathbf{b} is a 5x1 vector of unknown weights
622 that is estimated using standard linear regression (*regress* function in MATLAB).

623

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712

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720

721 **AUTHOR CONTRIBUTIONS**

722 All authors contributed to the overall study design. AA, SPA & SN designed
723 experiments, AA implemented the experiment and collected data, AA & SPA

724 analyzed and interpreted data with inputs from KVSH & SN, and AA and SPA wrote
725 the manuscript with inputs from KVSH & SN.
726